## Michael Kubesa: Factorization of $\mathrm{K}_{2 n}$ into "brooms" $\mathrm{B}_{m}$

Find all pairs $n, m$ such that there exists a factorization of $\mathrm{K}_{2 n}$ into "brooms" $\mathrm{B}_{m}$ (we get broom $\mathrm{B}_{m}$ by adding $m$ leaves into one endvertex of a path of length $2 n-m-1)$. It is known that such a factorization exists if $n=2 k+1$ and $1 \leq m<k+1$. Other cases are unsolved.

